

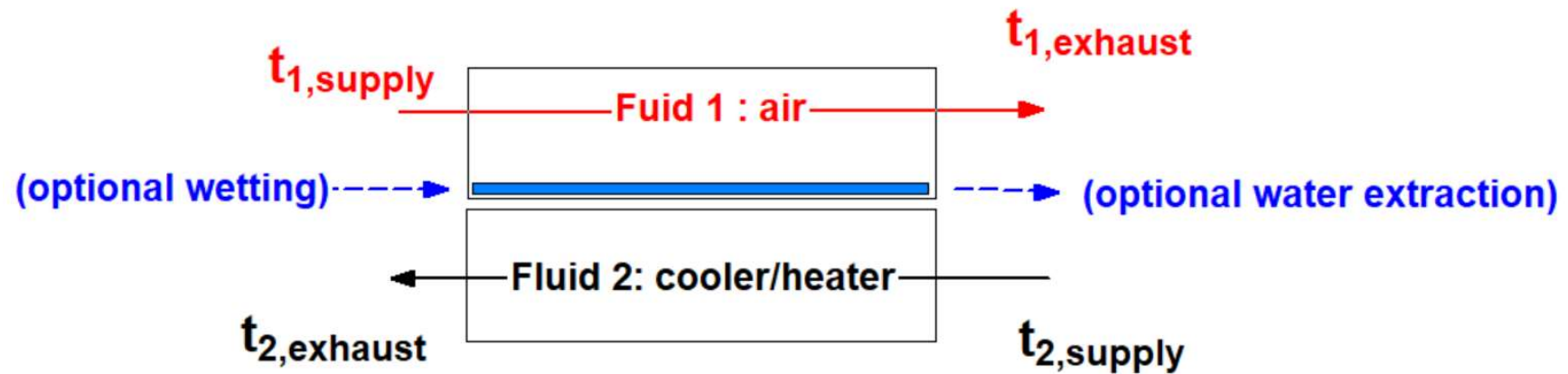
SIMPLIFIED SIMULATION OF IEC SYSTEMS

April 22, 2021

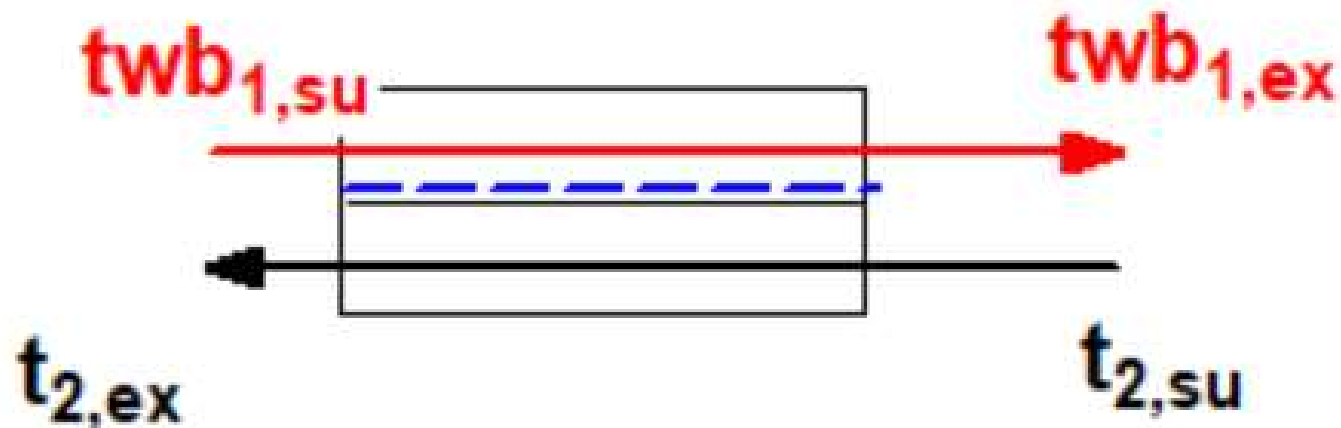
Jean Lebrun



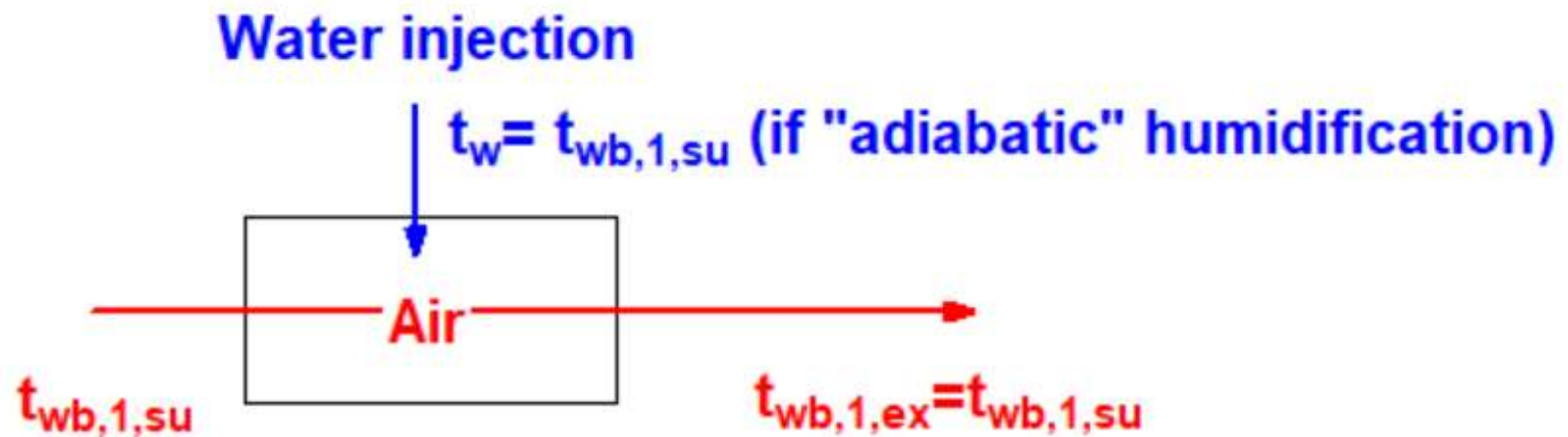
Air cooling/heating through a heat exchanger



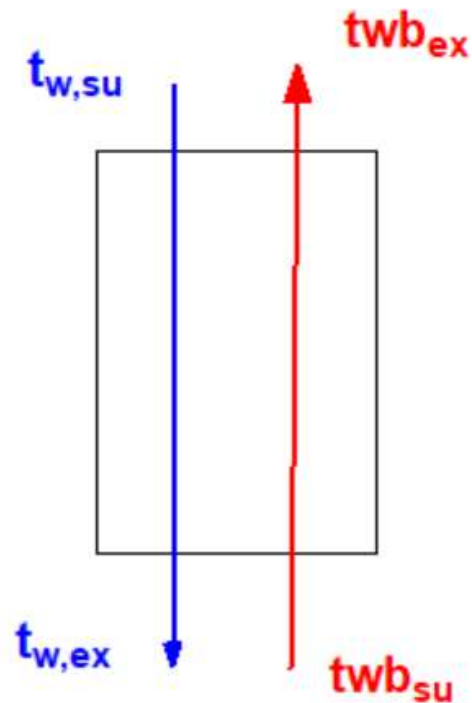
A *wet* heat exchanger can be simulated by substituting a fictitious, pure and perfect gas to the *humid* air:



The « adiabatic » humidifier is no more than a limit case:



The « direct contact » cooling tower is another limit case:



Fictitious specific heat of the perfect gas substituted to the humid air:

$$c_{p,f,ct} = \frac{h_{ct,ex} - h_{ct,su}}{t_{wb,ct,ex} - t_{wb,ct,su}}$$

« Capacity » flow rates:

$$\dot{C}_{f,ct} = \dot{M}_{a,ct} \cdot c_{p,f,ct}$$

$$\dot{C}_{w,ct} = \dot{M}_{w,ct} \cdot c_w$$

$$\dot{C}_{\min,f,ct} = \mathbf{Min} (\dot{C}_{w,ct} \dot{C}_{f,ct})$$

$$\dot{C}_{\max,f,ct} = \mathbf{Max} (\dot{C}_{w,ct} \dot{C}_{f,ct})$$

$$\omega_{f,ct} = \frac{\dot{C}_{\min,f,ct}}{\dot{C}_{\max,f,ct}}$$

Fictitious heat transfer coefficient:

According to the Merckel's theory,
the fictitious 'wet' heat transfer coefficient
can be related to its 'dry' value as follows:

$$AU_{f,ct} = AU_{dry,ct} \cdot \frac{c_{p,f,ct}}{c_{p,ct}}$$

$$NTU_{f,ct} = \frac{AU_{f,ct}}{\dot{C}_{\min,f,ct}}$$

and, in the case of a counter flow arrangement,

$$\varepsilon_{f,ct} = \frac{1 - \exp(-NTU_{f,ct} \cdot (1 - \omega_{f,ct}))}{1 - \omega_{f,ct} \cdot \exp(-NTU_{f,ct} \cdot (1 - \omega_{f,ct}))}$$

$$\dot{Q}_{ct} = \varepsilon_{f,ct} \cdot \dot{C}_{\min,f,ct} (t_{w,ct,su} - t_{wb,ct,su})$$

Water side energy balance:

$$\dot{Q}_{ct} = \dot{C}_{w,ct} \cdot (t_{w,ct,su} - t_{w,ct,ex})$$

(if neglecting here the water consumption, in fair approximation)

Reference variables used by practitioners :

$$\text{approach} = t_{w,ct,ex} - t_{wb,ct,su}$$

$$\text{range} = t_{w,ct,su} - t_{w,ct,ex}$$

Combined influences of both water and air flow rates
on the global heat transfer coefficient:

$$AU_{\text{dry,ct}} = AU_{\text{dry,ct,n}} \left[\frac{\dot{M}_{\text{w,ct}}}{\dot{M}_{\text{w,ct,n}}} \right]^{m_{\text{ct}}} \cdot \left[\frac{\dot{M}_{\text{a,ct}}}{\dot{M}_{\text{a,ct,n}}} \right]^{n_{\text{ct}}}$$

Exponents of the heat transfer law:

$$m_{\text{ct}} = 0.05 \quad [-]$$

$$n_{\text{ct}} = 0.6 \quad [-]$$

Air state at cooling tower exhaust:

$$h_{ct,ex} = h_{ct,su} + \frac{\dot{Q}_{ct}}{\dot{M}_{a,ct}}$$

Water consumption:

$$\dot{M}_{w,loss} = \dot{M}_{a,ct} \cdot (\omega_{ct,ex} - \omega_{ct,su})$$

Example of cooling tower

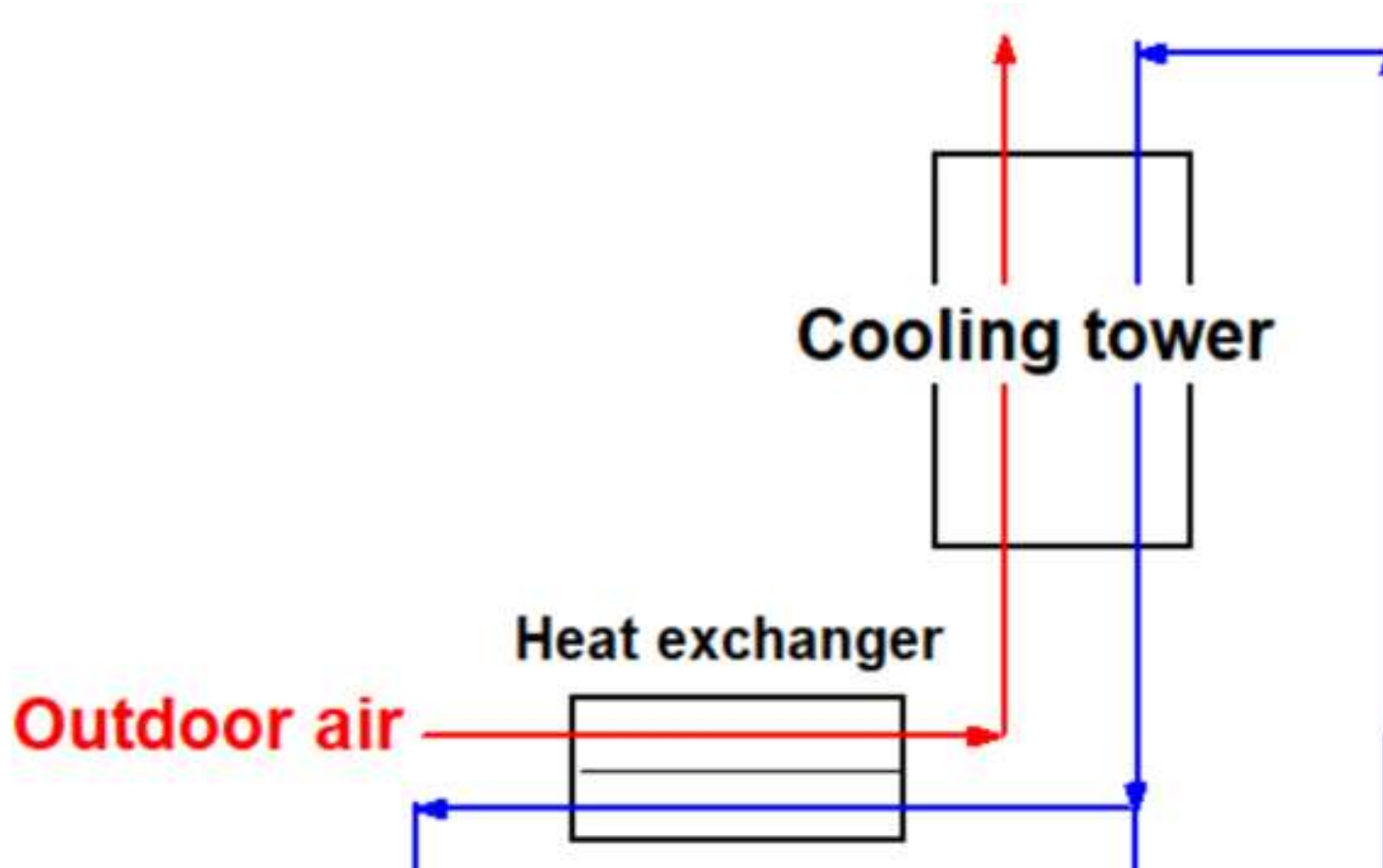
Nominal conditions:

$$\dot{M}_{a,ct,n} = 8 \text{ [kg/s]}$$

$$\dot{M}_{w,ct,n} = 12 \text{ [kg/s]}$$

$$AU_{dry,ct,n} = 15000 \text{ [W/K]}$$

A Water-air heat exchanger can be used to pre-cool the air:



Thermal resistances on air and water sides, global resistance and corresponding transfer coefficient:

$$R_{a,hx} = R_{a,hx,n} \cdot \left[\frac{\dot{M}_{a,hx,n}}{\dot{M}_{a,hx}} \right]^{m_{hx}}$$

$$R_{w,hx} = R_{w,hx,n} \cdot \left[\frac{\dot{M}_{w,hx,n}}{\dot{M}_{w,hx}} \right]^{n_{hx}}$$

$$R_{hx} = R_{a,hx} + R_{w,hx}$$

$$AU_{hx} = \frac{1}{R_{hx}}$$

Parameters:

Nominal conditions:

$$\dot{M}_{a,hx,n} = 20 \text{ [kg/s]}$$

$$\dot{M}_{w,hx,n} = 5 \text{ [kg/s]}$$

$$AU_{hx,n} = 50000 \text{ [W/K]}$$

$$R_{hx,n} = \frac{1}{AU_{hx,n}}$$

$$R_{a,hx,n} = \frac{R_{hx,n}}{2}$$

$$R_{w,hx,n} = \frac{R_{hx,n}}{2}$$

$$m_{hx} = 0.8 \text{ [-]}$$

$$n_{hx} = 0.8 \text{ [-]}$$

Inputs:

$$\dot{M}_{a,hx} = 5 \text{ [kg/s]}$$

$$\dot{M}_{w,hx} = 2 \text{ [kg/s]}$$

$$t_{a,hx,su} = T_{\text{outdoor}}$$

$$\omega_{hx,su} = \omega_{\text{outdoor}}$$

$$t_{w,hx,su} = t_{w,ct,ex}$$

Capacity flow rates and NTU:

$$\dot{C}_{a,hx} = \dot{M}_{a,hx} \cdot c_p$$

$$\dot{C}_{w,hx} = \dot{M}_{w,hx} \cdot c_w$$

$$\dot{C}_{\min,hx} = \mathbf{Min} (\dot{C}_{w,hx}, \dot{C}_{a,hx})$$

$$\dot{C}_{\max,hx} = \mathbf{Max} (\dot{C}_{w,hx}, \dot{C}_{a,hx})$$

$$\omega_{hx} = \frac{\dot{C}_{\min,hx}}{\dot{C}_{\max,hx}}$$

$$NTU_{hx} = \frac{AU_{hx}}{\dot{C}_{\min,hx}}$$

Effectiveness (if counter flow) and water –air heat transfer:

$$\varepsilon_{hx} = \frac{1 - \exp(-NTU_{hx} \cdot (1 - \omega_{hx}))}{1 - \omega_{hx} \cdot \exp(-NTU_{hx} \cdot (1 - \omega_{hx}))}$$

$$\dot{Q}_{hx} = \varepsilon_{hx} \cdot \dot{C}_{\min,hx} \cdot (t_{a,hx,su} - t_{w,hx,su})$$

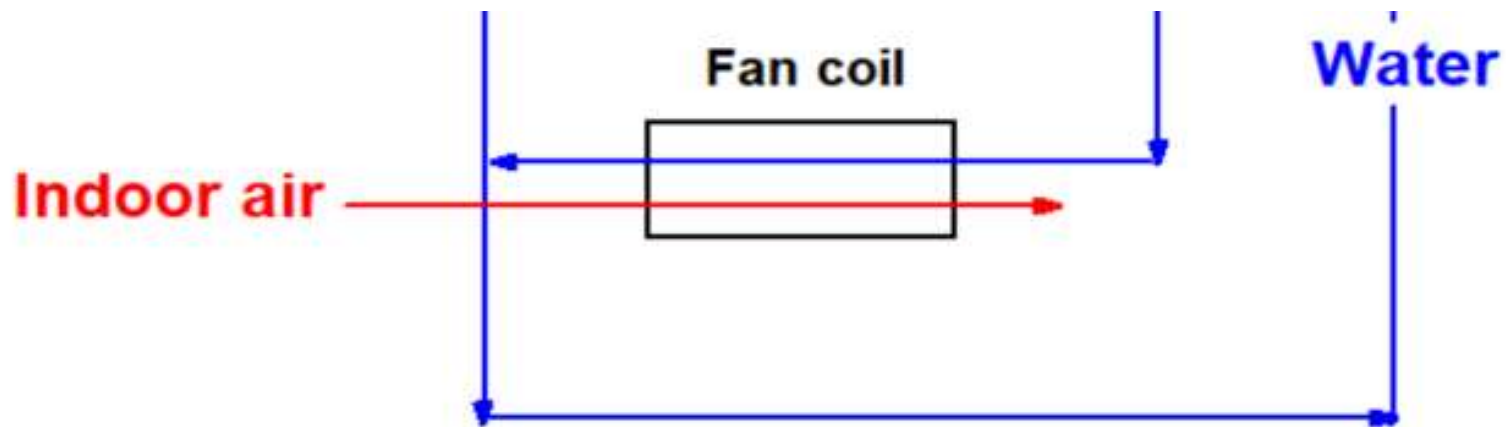
Water side energy balance (gives exhaust water temperature):

$$\dot{Q}_{hx} = \dot{C}_{w,hx} \cdot (t_{w,hx,ex} - t_{w,hx,su})$$

Air side heat balance (gives exhaust air temperature):

$$\dot{Q}_{hx} = \dot{C}_{a,hx} \cdot (t_{a,hx,su} - t_{a,hx,ex})$$

Let's assume that one (or several) fan coil(s) is (or are) used to cool the indoor air:



$$\dot{Q}_{fc} = \varepsilon_{fc} \cdot \dot{C}_{\min,fc} \cdot (t_{a,fc,su} - t_{w,fc,su})$$

Water side energy balance (gives exhaust water temperature):

$$\dot{Q}_{fc} = \dot{C}_{w,fc} \cdot (t_{w,fc,ex} - t_{w,fc,su})$$

Air balance (gives the exhaust air temperature):

$$\dot{Q}_{fc} = \dot{C}_{a,fc} \cdot (t_{a,fc,su} - t_{a,fc,ex})$$

Parameter:

$$\varepsilon_{fc} = 0.7 \quad [-]$$

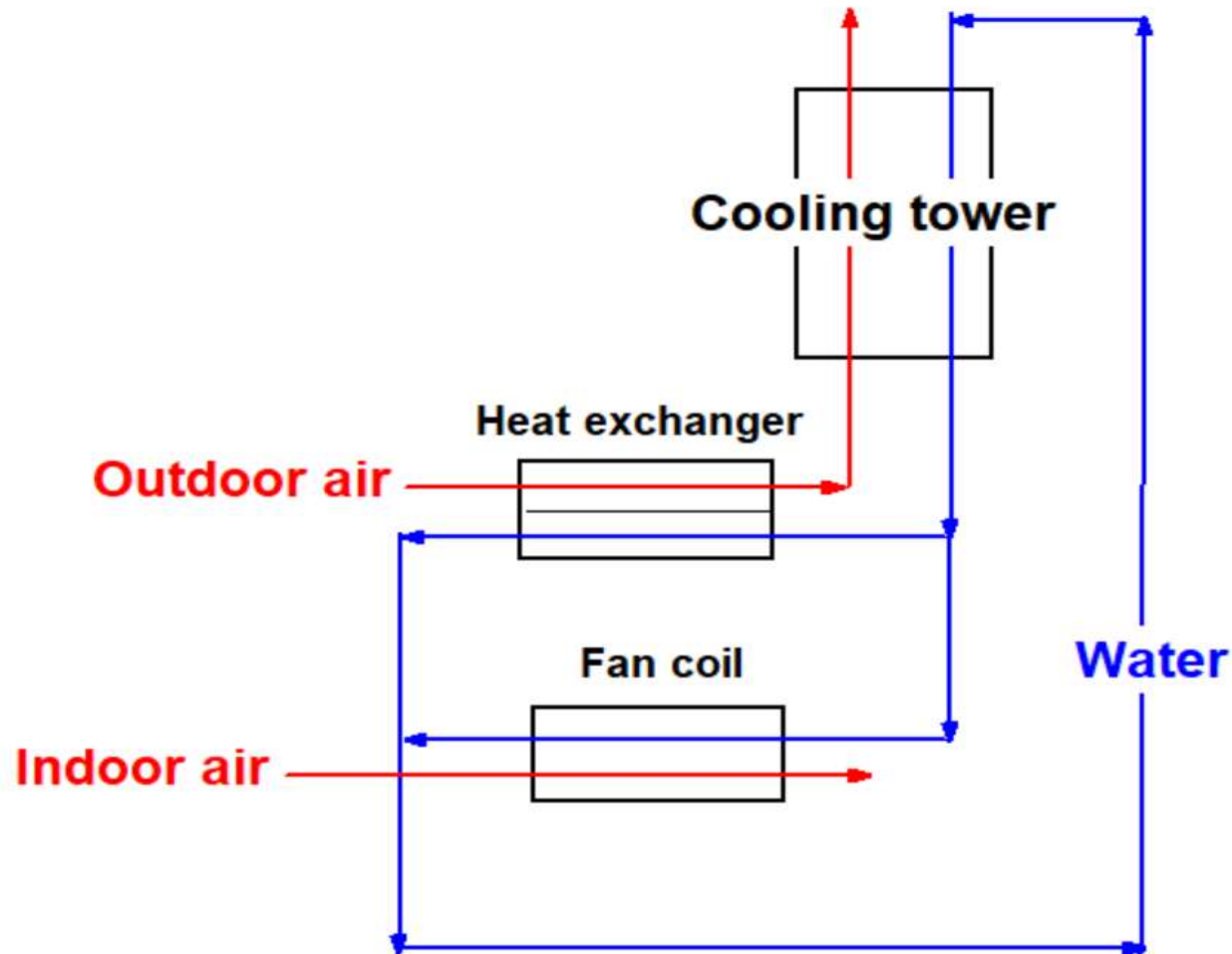
Inputs:

$$\dot{M}_{w,fc} = 1 \quad [\text{kg/s}]$$

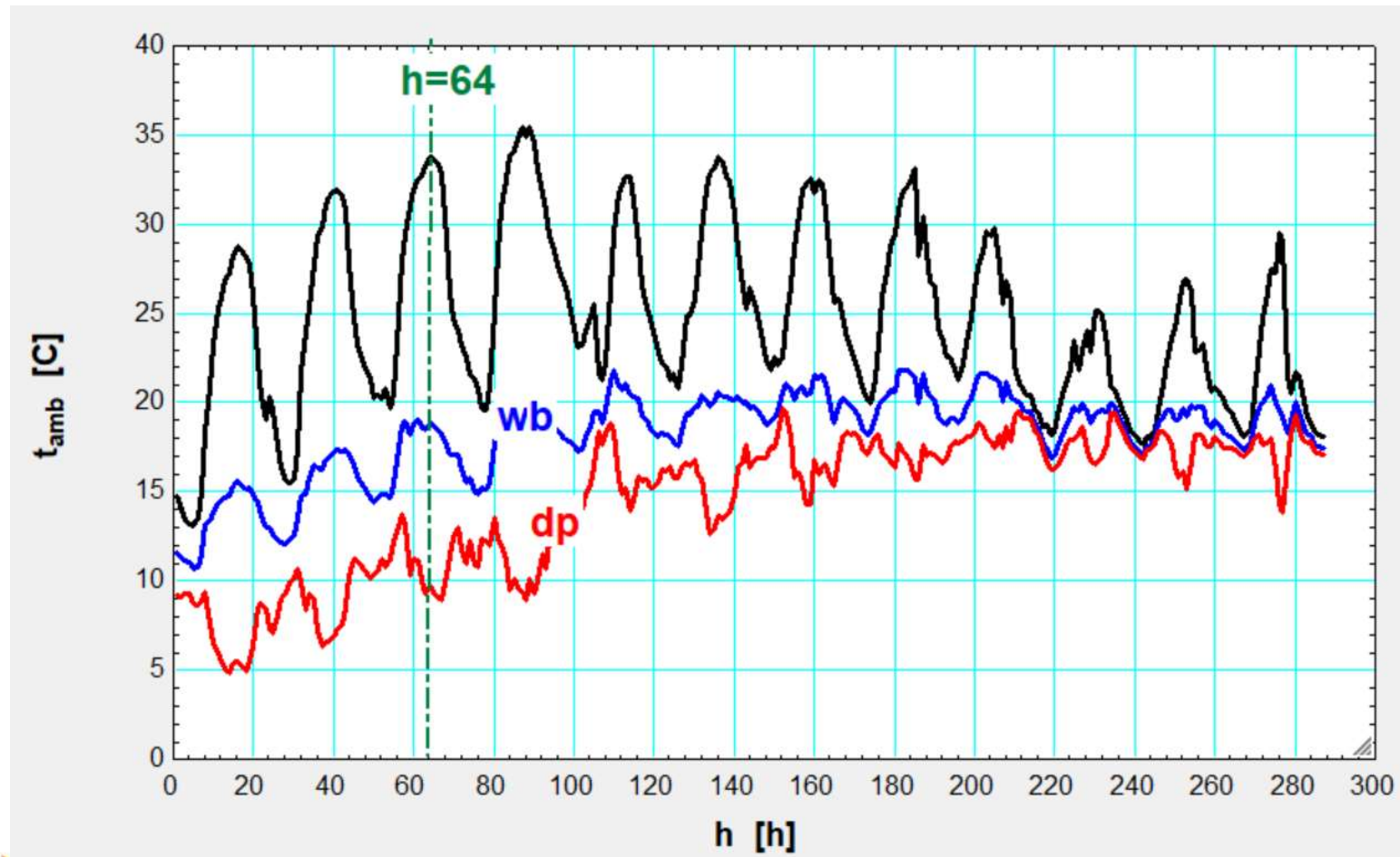
$$t_{a,fc,su} = 24 \quad [^\circ\text{C}]$$

$$t_{w,fc,su} = t_{w,ct,ex}$$

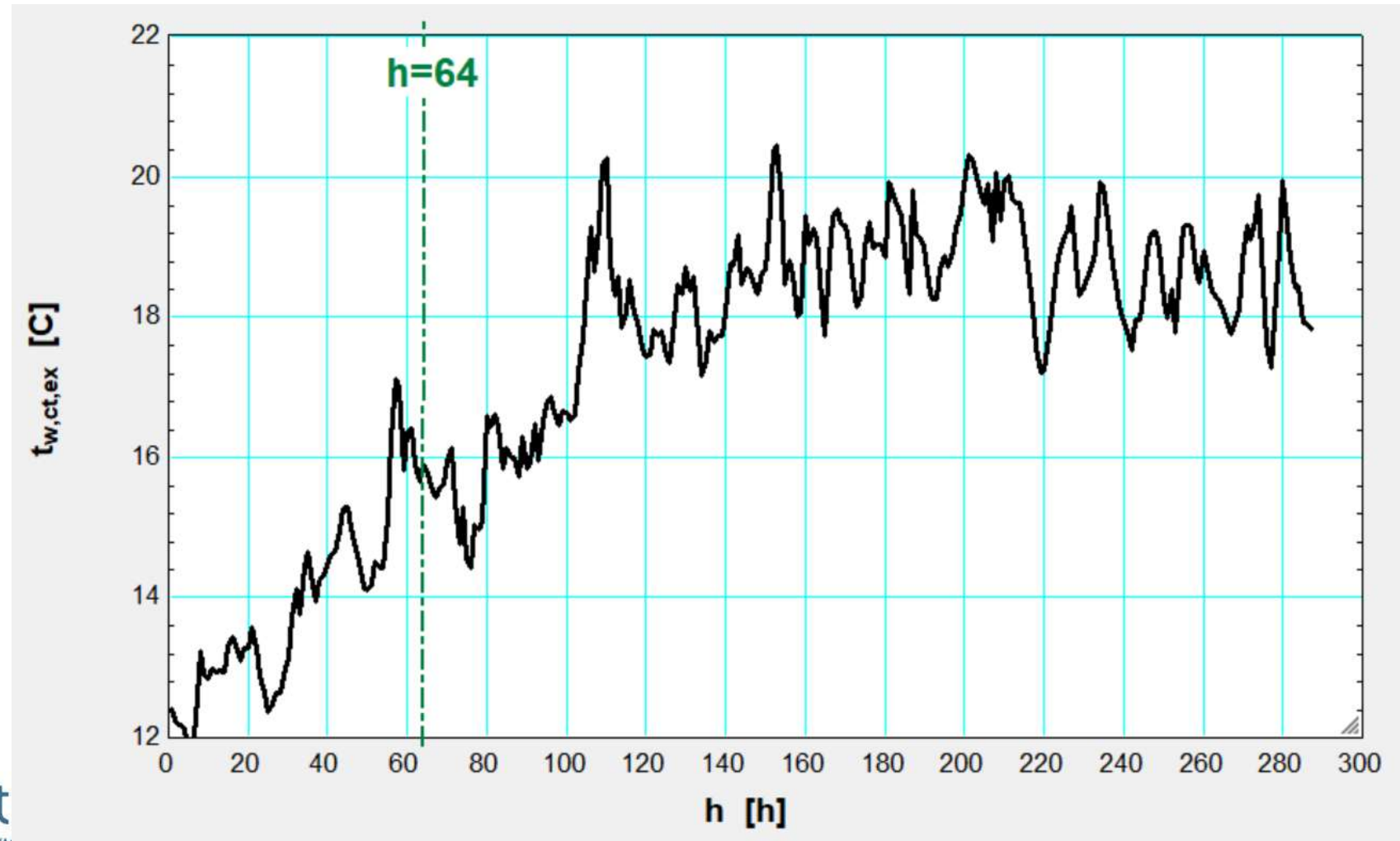
Global system considered:



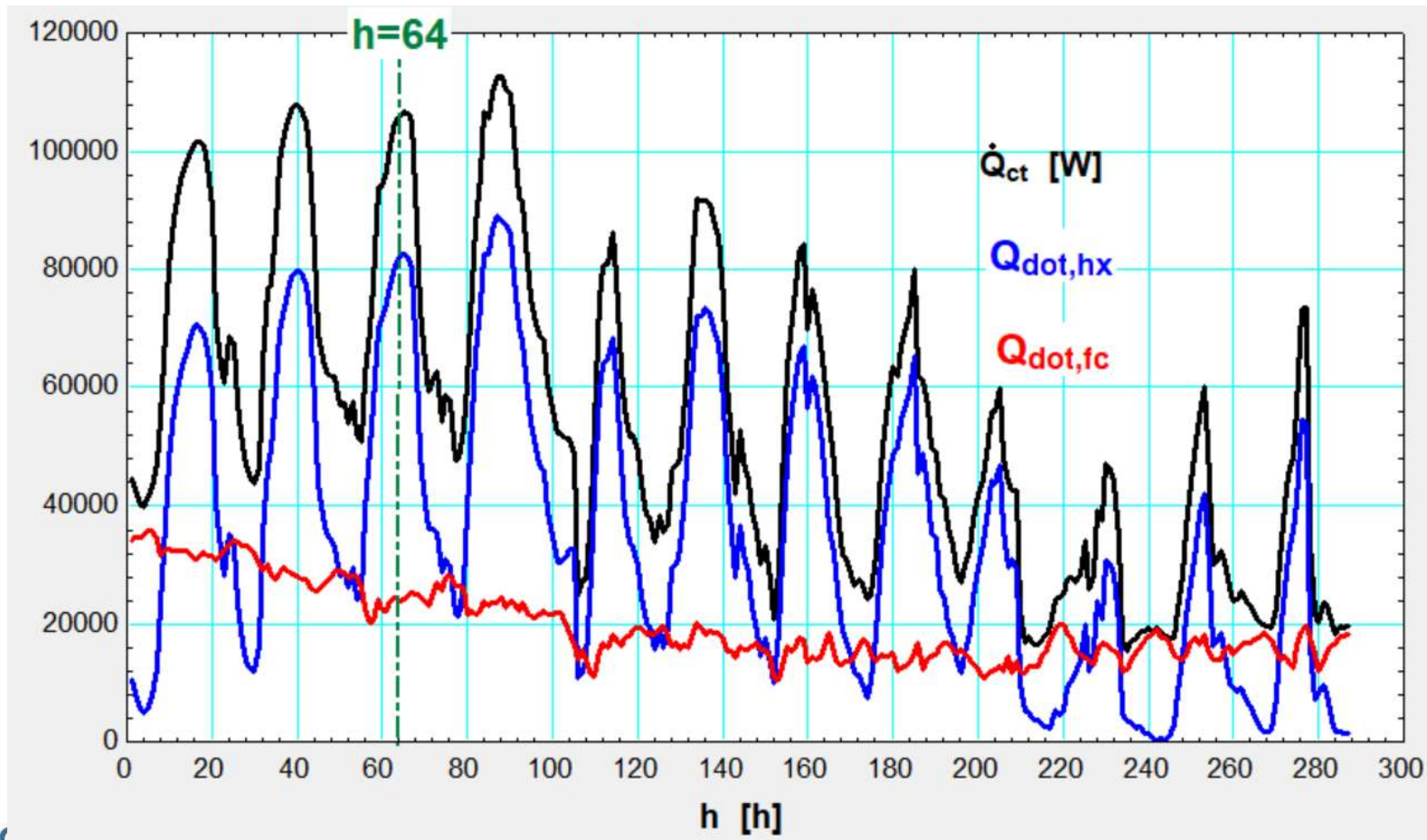
Uccle hot wave of 2020:



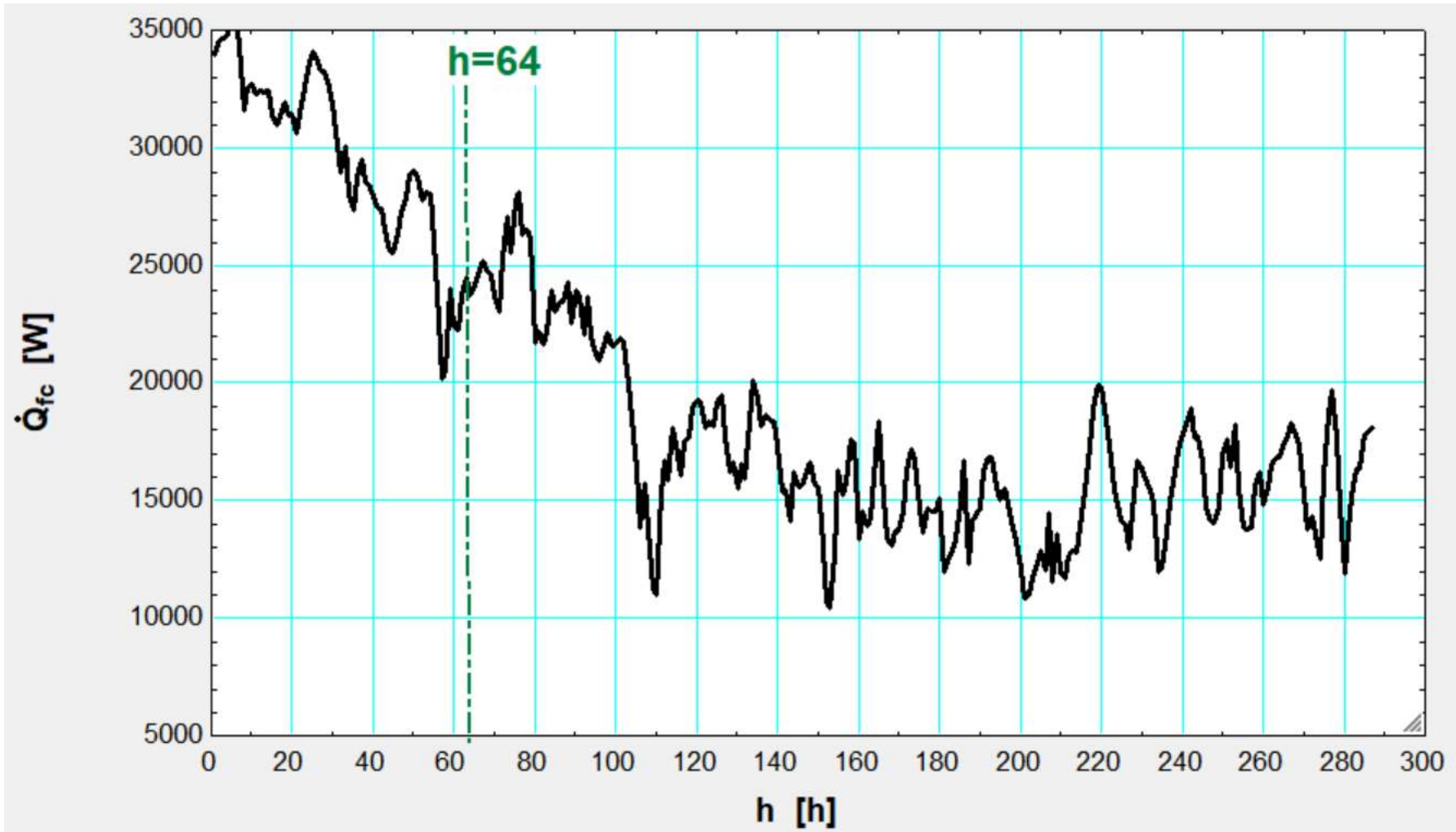
Water temperature at cooling tower exhaust:



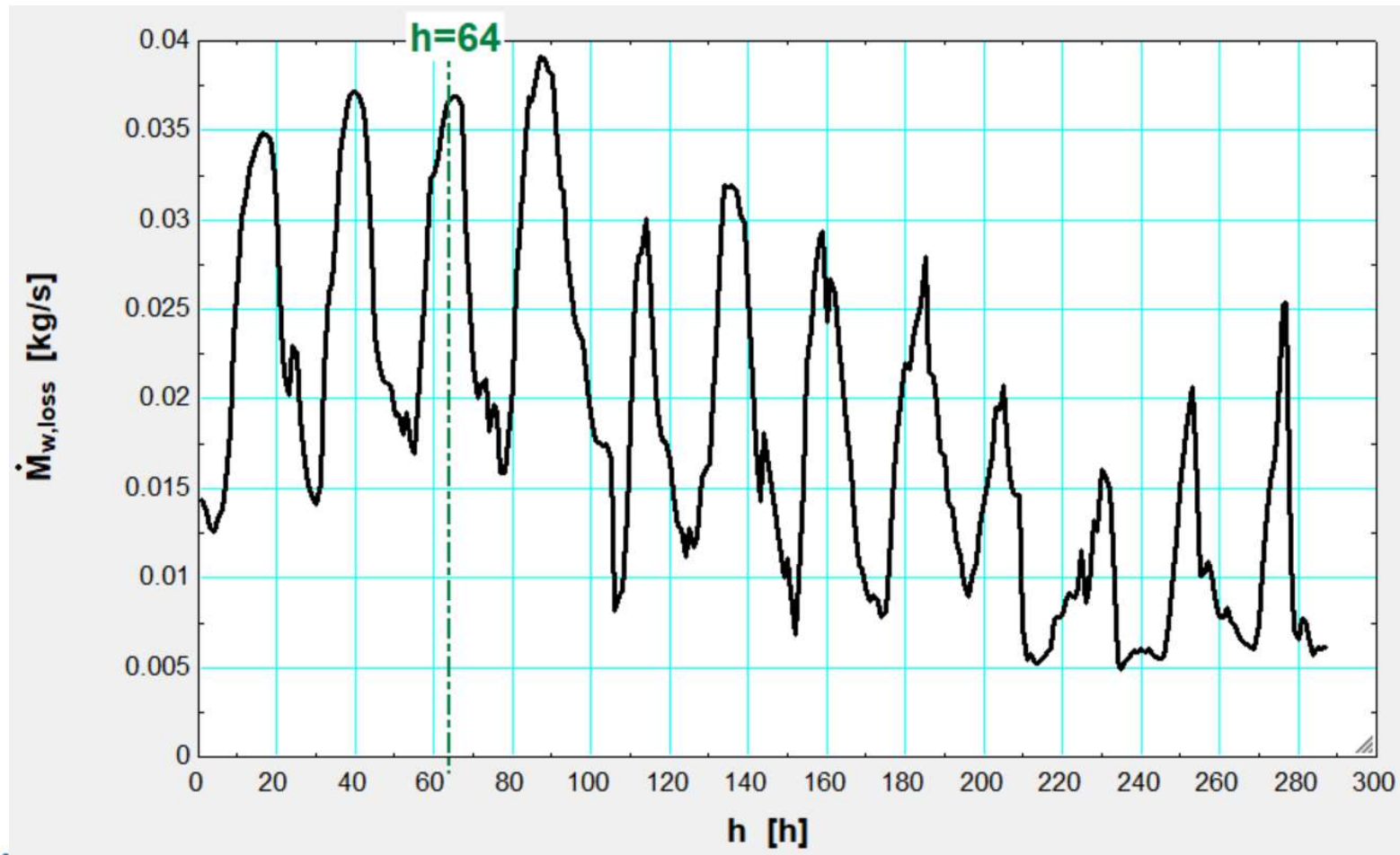
Thermal powers delivered by cooling tower, heat exchanger and fan coil(s)



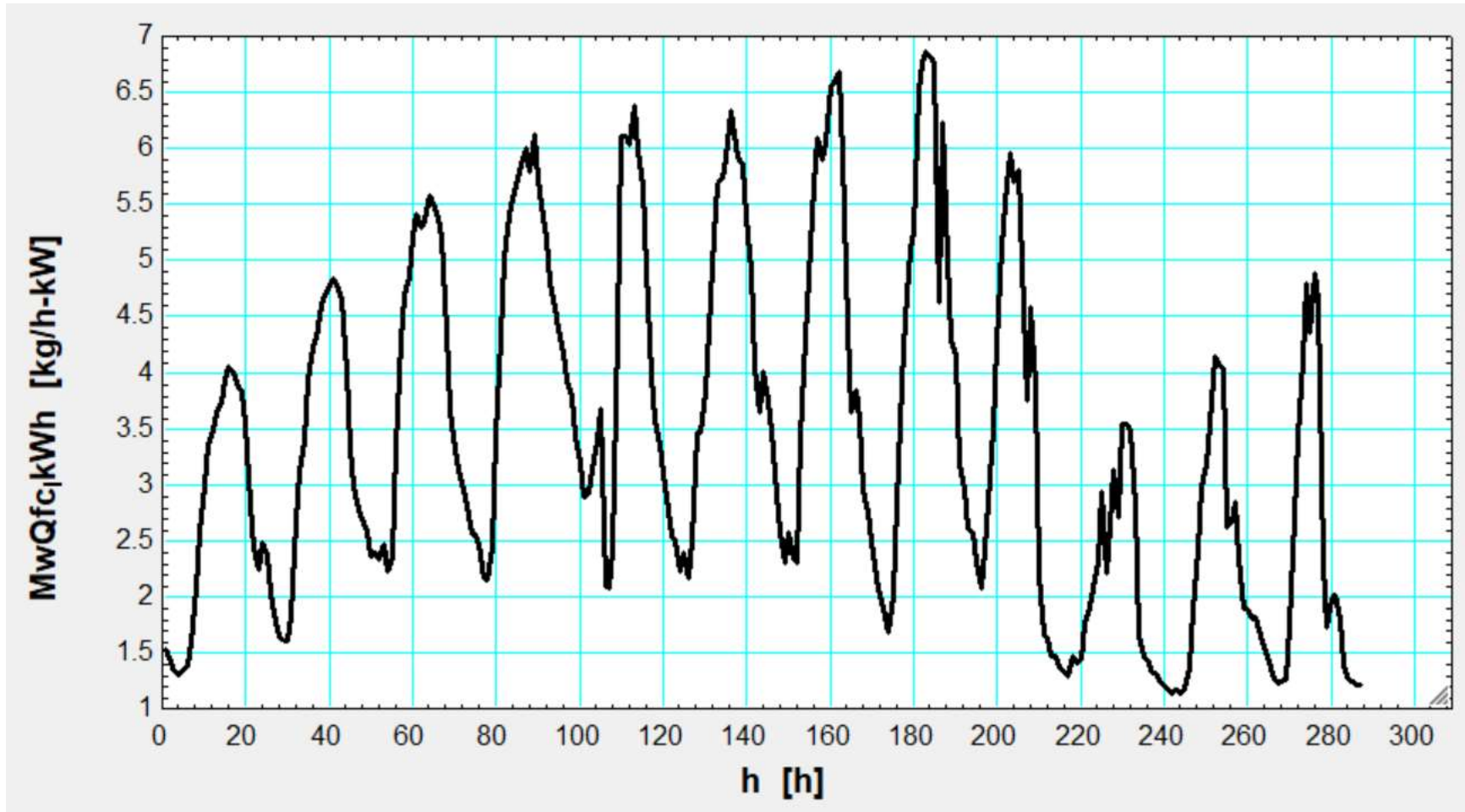
Useful cooling power:



Water consumption:

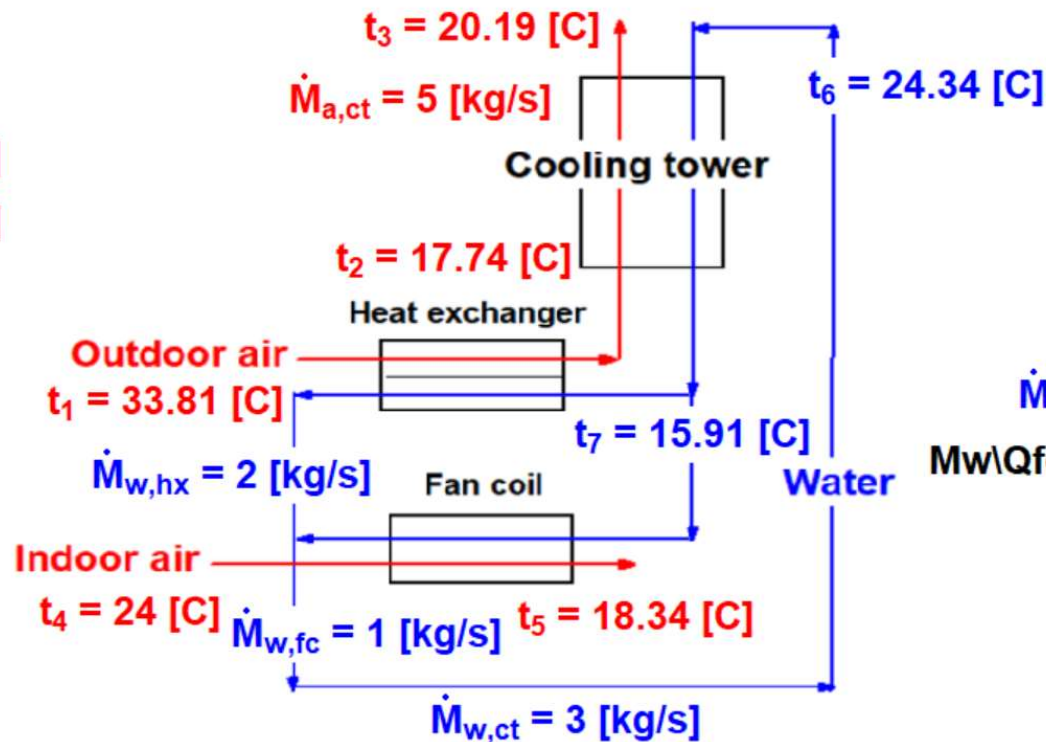


Specific water consumption in kg/kWh



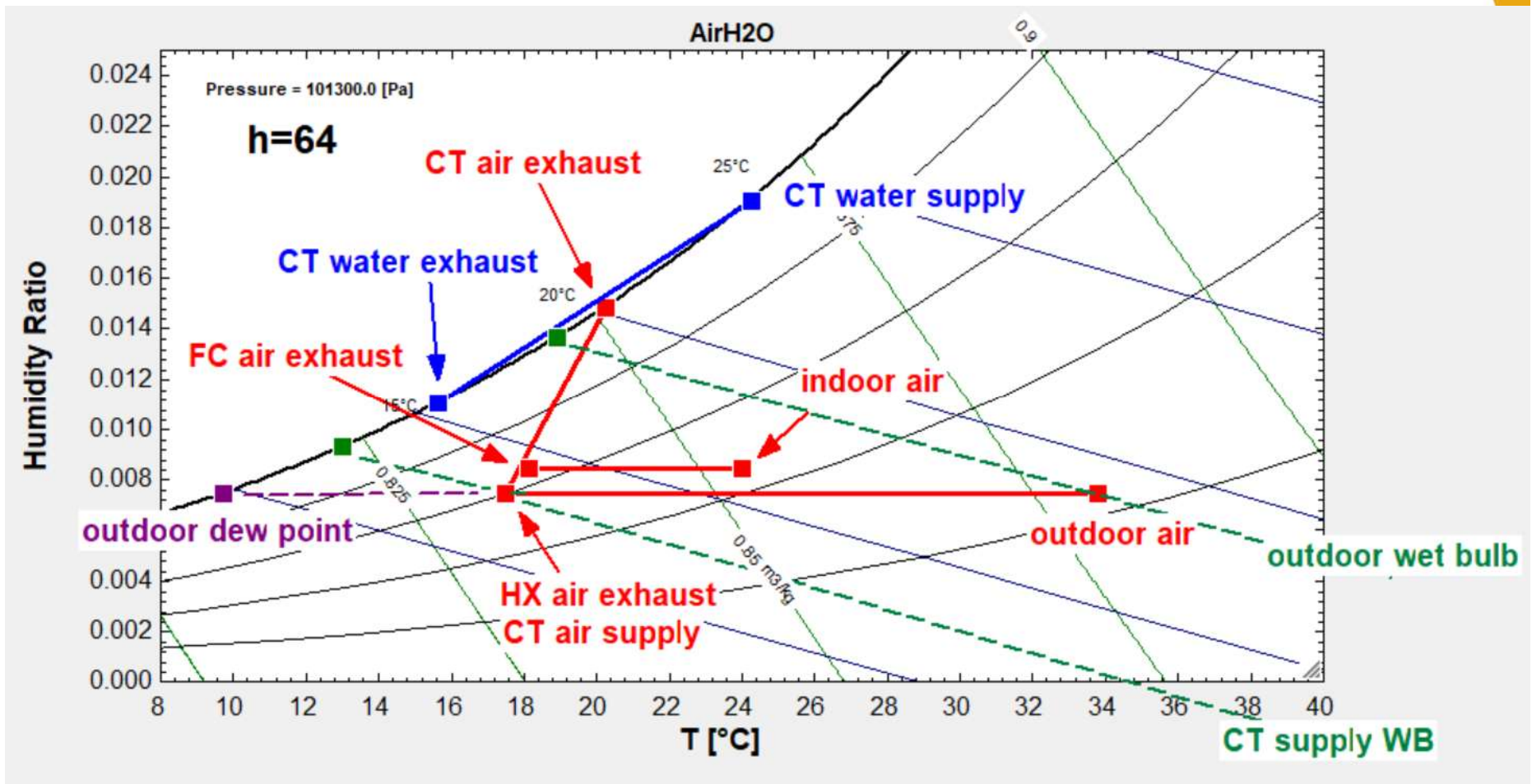
Main results at h=64

$t_{\text{outdoor}} = 33.81 \text{ [C]}$
 $RH_{\text{outdoor, \%}} = 22.86 \text{ [\%]}$
 $t_{\text{wb, outdoor}} = 18.89 \text{ [C]}$
 $t_{\text{dp, outdoor}} = 9.71 \text{ [C]}$



$\dot{Q}_{ct} = 105925 \text{ [W]}$
 $\dot{Q}_{hx} = 82219 \text{ [J-C/s-K]}$
 $\dot{Q}_{fc} = 23707 \text{ [W]}$
 $\dot{M}_{w,loss} = 0.03672 \text{ [kg/s]}$
 $Mw/Qfc|kWh = 5.577 \text{ [kg/kW-h]}$

Air and water states at h = 64



Conclusions

This is no more than a very preliminary analysis!

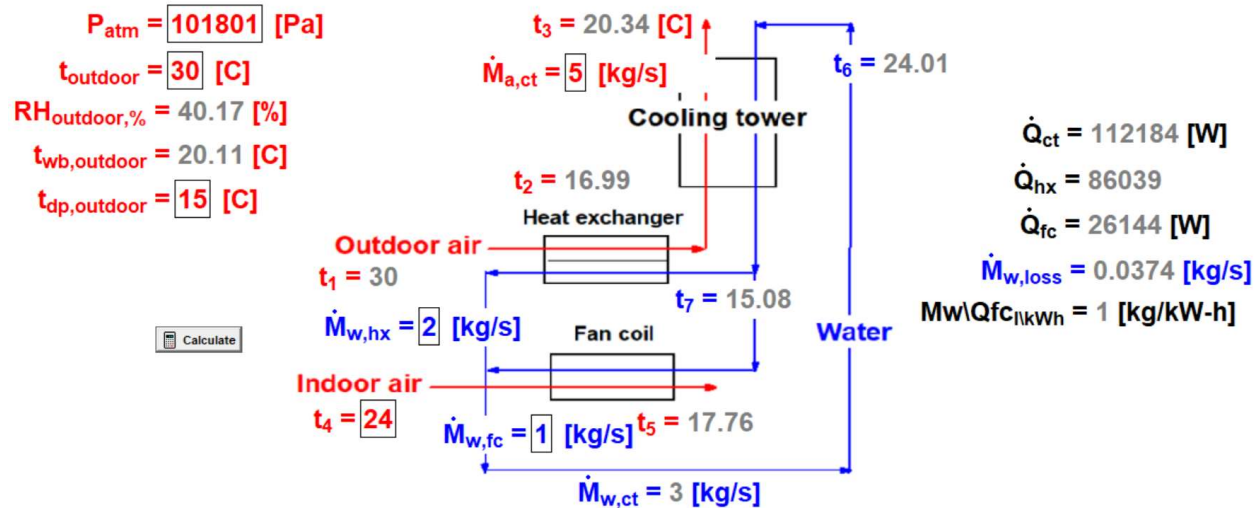
It seems working, even (and mainly) during hot waves.

But all optimization has still to be performed with consideration to:

- actual sizings;
- « auxiliary » consumptions (fans and pumps!)
- Water consumption
 - Etc.

Thank you for your attention

And, if you are interested,...



Engineering Equation Solver

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 Distributable Version 11.076-3D (2021-04-05) Expires: 2022-04-20

This is a special purpose version of EES
 that has been developed to run specific problems.
 This program may be freely distributed.

User: JL/LAPTOP-GSU495D6 (1)
 Windows NT 10.0 (Build 19042)

F-Chart Software eMail: info@fChart.com web: www.fChartSoftware.com

